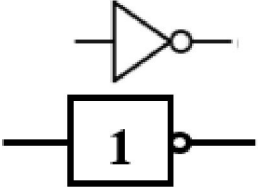
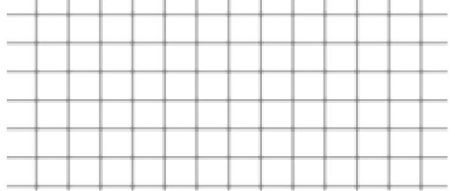
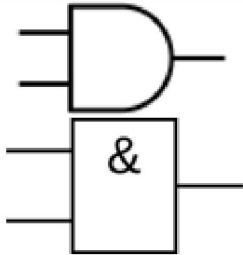
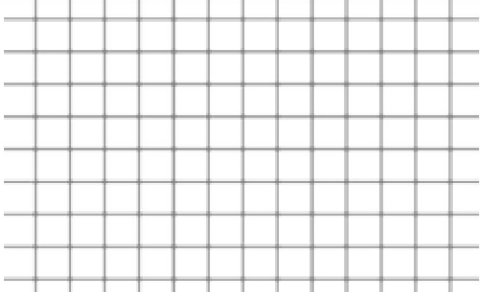
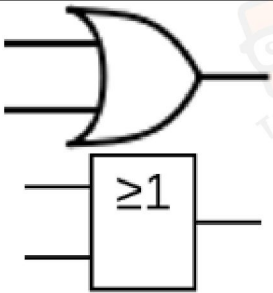
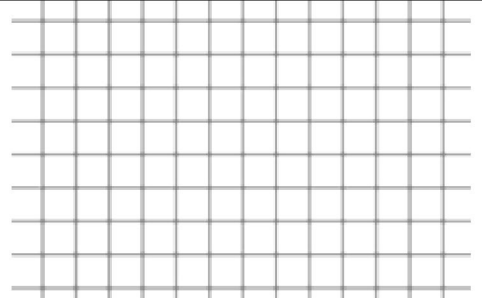


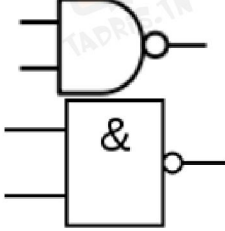
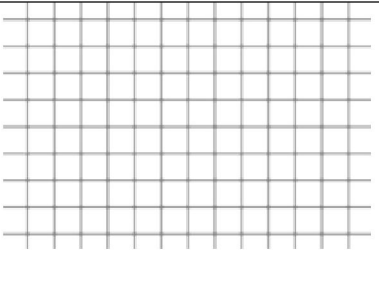
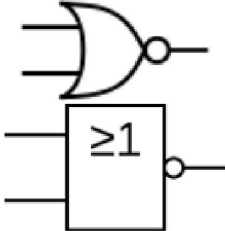
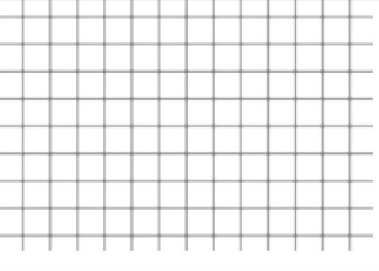
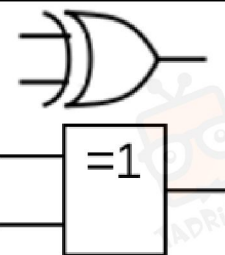
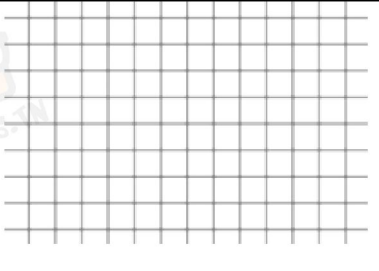
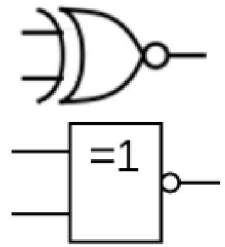
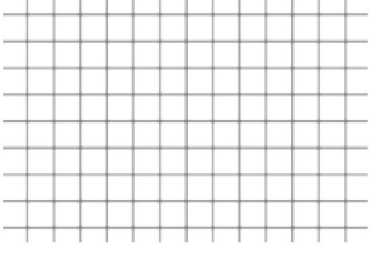
Les fonctions logiques :

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Propriétés des fonctions logiques de base :

<i>Fonction OU</i>	<i>Fonction ET</i>
$x + 0 = \dots\dots\dots$	$x.0 = \dots\dots\dots$
$x + y = \dots\dots\dots$ (commutativité)	$x. y = \dots\dots\dots$ (commutativité)
$x + 1 = \dots\dots\dots$	$x.1 = \dots\dots\dots$
$x + x = \dots\dots\dots$	$x.x = \dots\dots\dots$
$x + \bar{x} = \dots\dots\dots$	$x.\bar{x} = \dots\dots\dots$
$x + x.y = \dots\dots\dots$	

Théorèmes de DEMORGAN :

$$\overline{x + y} = \dots\dots\dots$$
$$\overline{x.y} = \dots\dots\dots$$



Simplification algébrique

1- Simplifier les expressions suivantes

$$a + a b = \dots\dots\dots$$

$$a + \bar{a}b = \dots\dots\dots$$

$$(a + b) (a + c) = \dots\dots\dots$$

$$\bar{x}\bar{z}\bar{w} + xy\bar{z}\bar{w} + \bar{z}\bar{w} = \dots\dots\dots$$

$$\bar{z}w + xy + xzw + xyz + zw + x\bar{y} = \dots\dots\dots$$

2- En appliquant les théorèmes de DE MORGAN , développer et simplifier s'il a lieu les expressions logiques suivantes :

$$A = \overline{\bar{a}b} + c = \dots\dots\dots$$

3- Montrer que $B = \bar{b} + (a.c)$

$$B = \overline{(a + b)(b + c)} = \dots\dots\dots$$



Simplification graphique par tableau de Karnaugh :

1- Soit la fonction logique suivante :

$$S = \bar{a}.\bar{b}.\bar{c}.\bar{d} + \bar{a}.\bar{b}.\bar{c}.d + \bar{a}.\bar{b}.c.\bar{d} + a.\bar{b}.\bar{d} + \bar{a}.b.\bar{c}$$

Compléter le tableau de Karnaugh associé à cette fonction.



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• Recherche de l'équation simplifiée

	a b	00	01	11	10
c b					
00		0	0	1	1
01		0	1	1	1
11		0	1	1	1
10		0	0	0	0

H =

2- Déterminer l'équation pour chaque tableau :

	ab	00	01	11	10
cd					
00		1	1	0	1
01		1	1	0	1
11		0	0	0	1
10		0	0	0	1

H1=.....

	ab	00	01	11	10
cd					
00		1	0	0	1
01		1	0	0	1
11		1	0	1	1
10		1	0	1	1

H2=.....

	ab	00	01	11	10
cd					
00		1	1	0	1
01		0	0	0	0
11		0	0	0	0
10		1	0	0	1

H3=.....



ab \ cd	00	01	11	10
00	0	1	1	0
01	1	0	0	1
11	1	0	0	1
10	0	1	1	0

H4=.....

ab \ c	00	01	11	10
0	1	1	1	1
1	1	1	0	0

H5=.....

ab \ c	00	01	11	10
0	0	1	1	1
1	1	1	1	1

H6=.....



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